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## Quantum Neural Networks: Libraries and Applications

An example of quantum autoencoder























































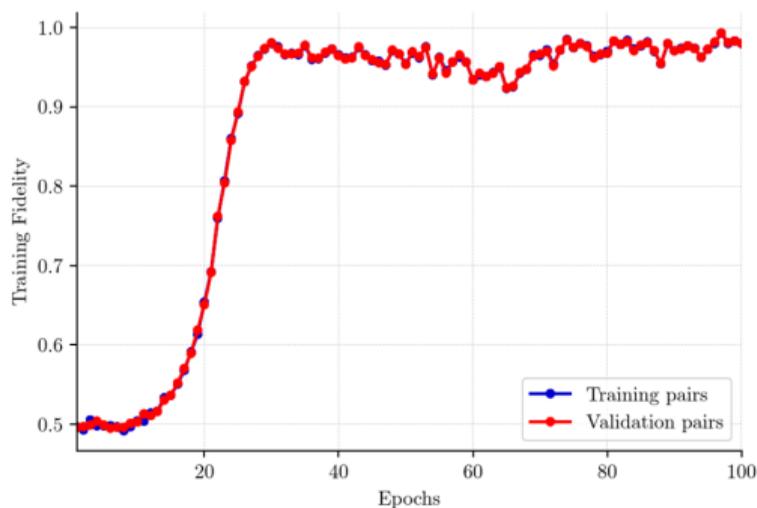
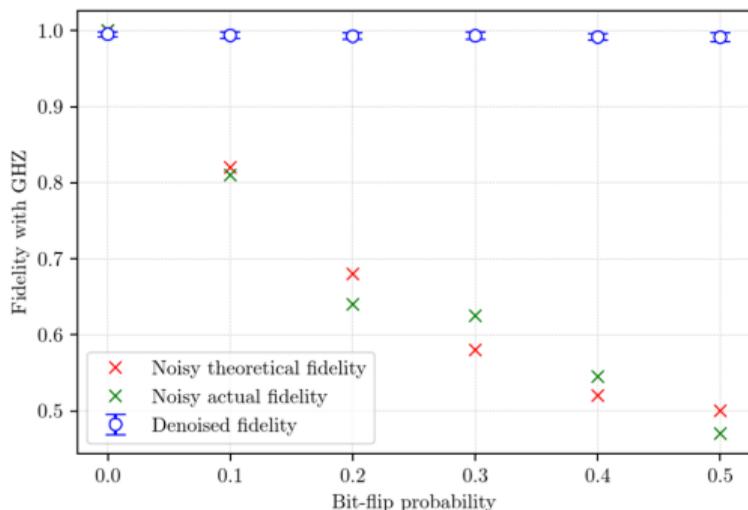




# Use Case: Denoising Quantum States using QAE

## Results

▶ almost perfect



Source: Achache, Horesh, and Smolin, "Denoising quantum states with quantum autoencoders – theory and applications"















## Building QAE at home

- Maximizing this function corresponds to two states being identical

$$S = 1 - \frac{2}{M} \cdot L \quad (1)$$

Python

```
1     # swap test
2     circuit.h(auxiliary_qubit)
3     for i in range(num_trash):
4         circuit.cswap(auxiliary_qubit, num_latent + i, num_latent +
5             ↪ num_trash + i)
6     circuit.h(auxiliary_qubit)
7     circuit.measure(auxiliary_qubit, cr[0])
8     return circuit
```

# Building QAE at Home: Domain Wall

## ■ Apply the X gate (bit-flip)

Python

```
1 def domain_wall(circuit, a, b):
2     # Here we place the Domain Wall to qubits a - b in our circuit
3     for i in np.arange(int(b / 2), int(b)):
4         circuit.x(i)
5     return circuit
6
7 ae = auto_encoder_circuit(num_latent, num_trash)
8 qc = QuantumCircuit(num_latent + 2 * num_trash + 1, 1)
9 qc = qc.compose(domain_wall_circuit, range(num_latent + num_trash))
10 qc = qc.compose(ae)
11 qc.draw("mpl")
```

Source: QiskitCommunity, *Quantum Autoencoder Tutorial*

# Building QAE at Home: Domain Wall

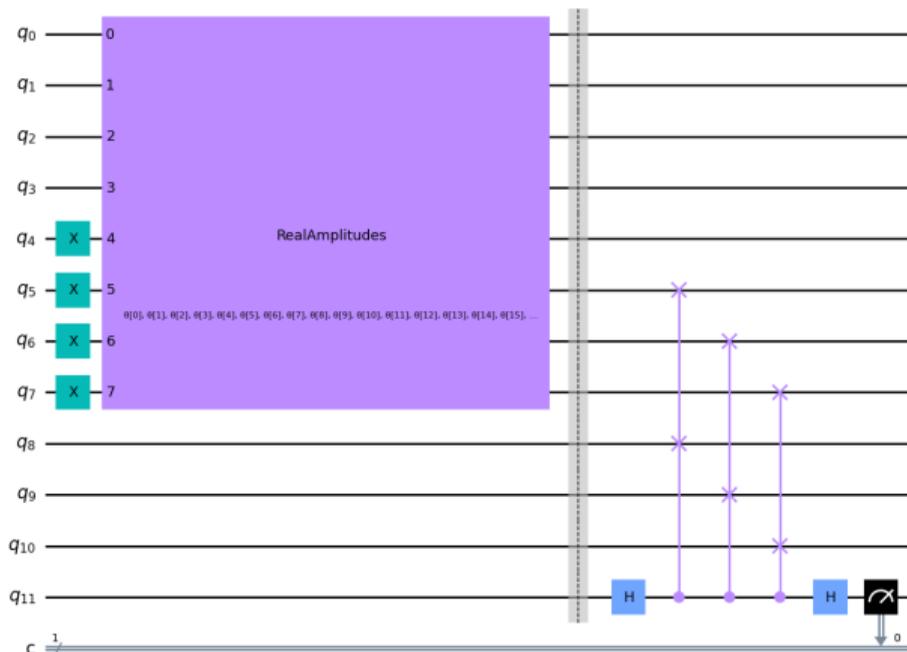
## ■ Initialize Qubits

- ▶ Start with 8 qubits, initially set to the  $|0\rangle$  state.

## ■ Apply X-Gates

- ▶ Apply an X-gate (bit-flip) operation on qubits 1 through 4.
- ▶ This flips the states to  $|1\rangle$ , representing the "domain wall."

# Building QAE at Home: Domain Wall



Source: QiskitCommunity, *Quantum Autoencoder Tutorial*

# Building QAE at Home: Domain Wall

## ■ Define loss function

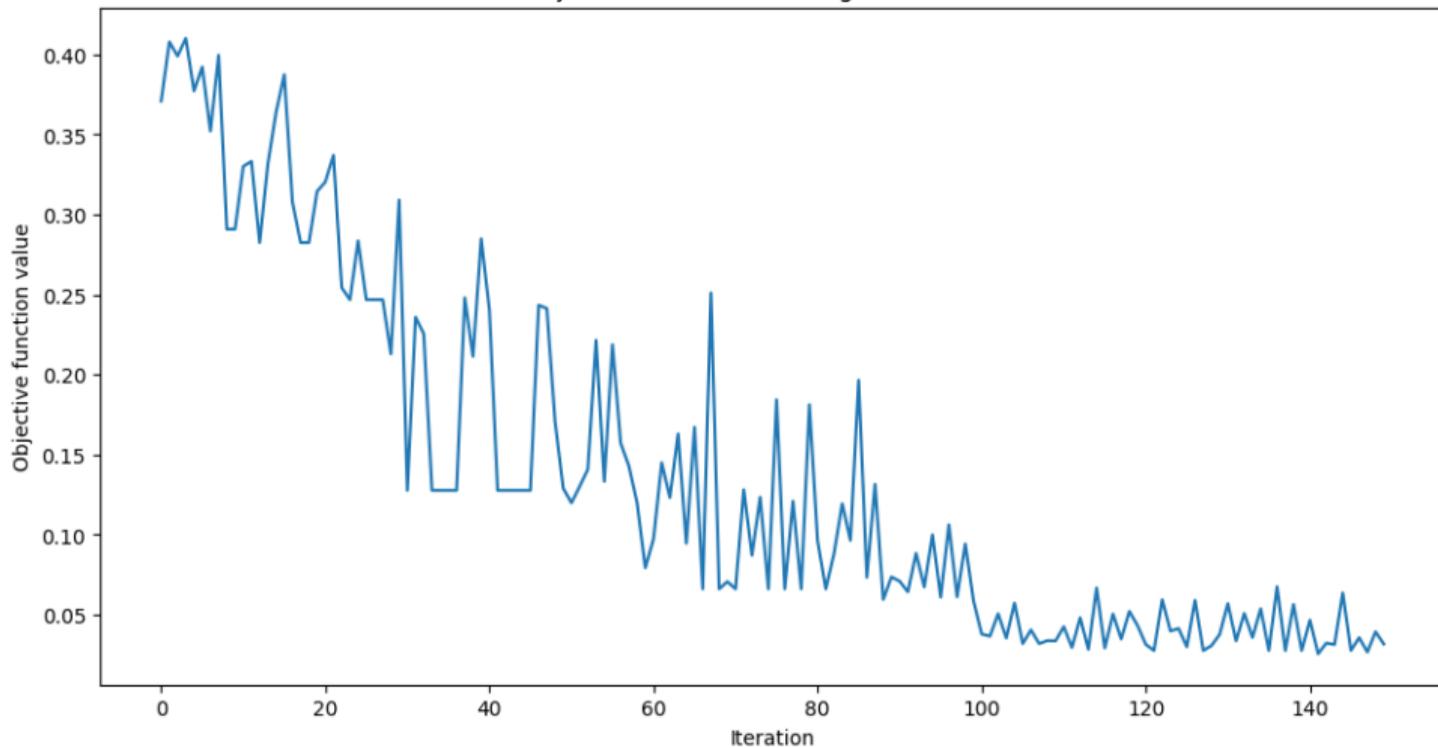
Python

```
1 def cost_func_domain(params_values):  
2     probabilities = qnn.forward([], params_values)  
3     # we pick a probability of getting 1 as the output of the network  
4     cost = np.sum(probabilities[:, 1])
```

Source: QiskitCommunity, *Quantum Autoencoder Tutorial*

# Building QAE at Home: Domain Wall

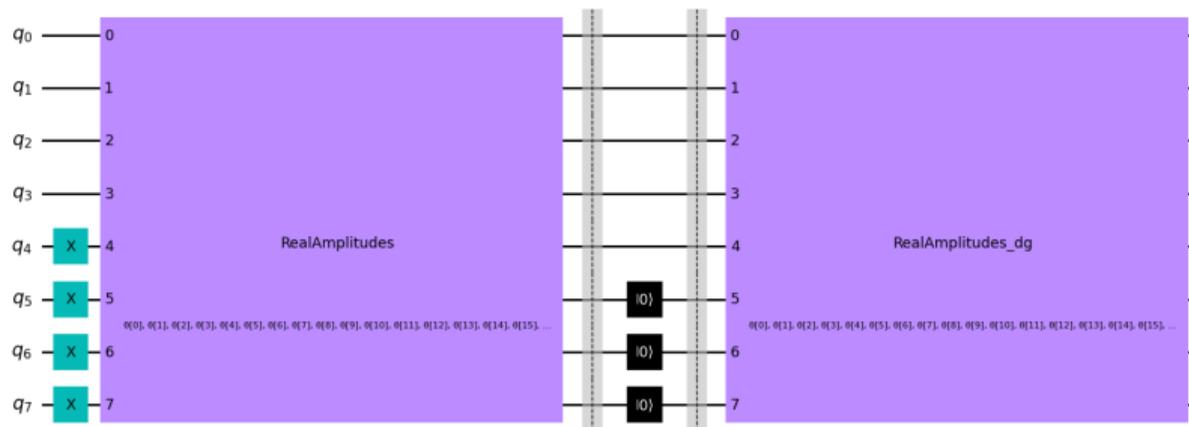
Objective function value against iteration



# Building QAE at Home: Domain Wall

Python

```
1 test_qc.reset(7)
2 test_qc.reset(6)
3 test_qc.reset(5)
```



# Building QAE at Home: Domain Wall

## ■ Compare final fidelity between input and output

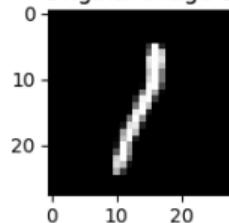
Python

```
1 domain_wall_state = Statevector(domain_wall_circuit).data
2 output_state = Statevector(test_qc).data
3
4 fidelity = np.sqrt(np.dot(domain_wall_state.conj(), output_state) ** 2)
```

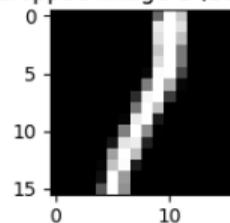
▶ Fidelity of our Output State with our Input State: 0.9740570467513804

# Building QAE at Home: Image Compression

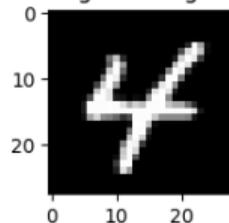
Original Image 1



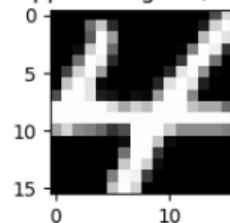
Cropped Image 1 (16x16)



Original Image 2



Cropped Image 2 (16x16)



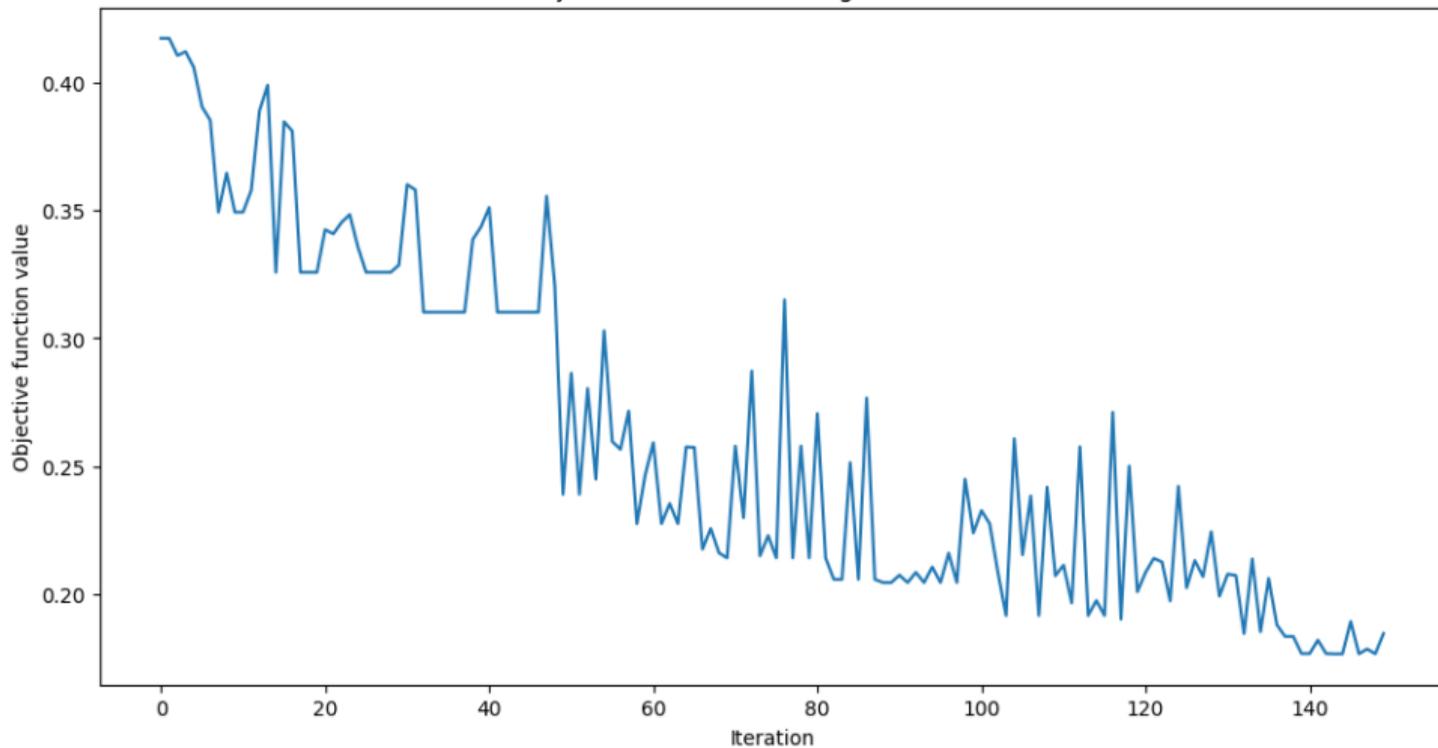
- Random image from MNIST
- Original size:  $28 \times 28$
- Cropped size:  $16 \times 16$

# Building QAE at Home: Image Compression

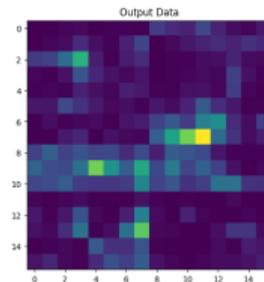
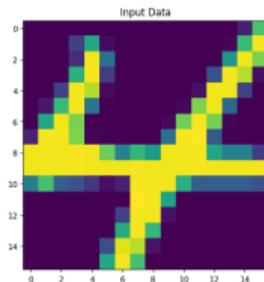
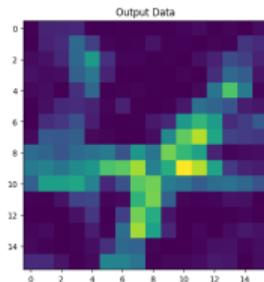
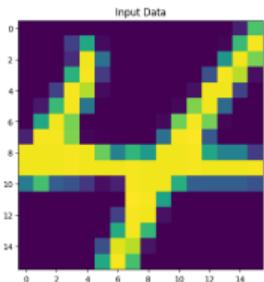
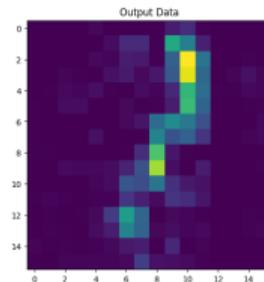
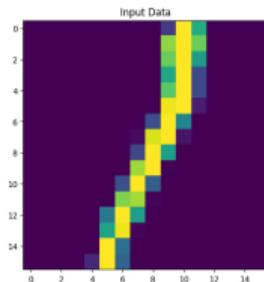
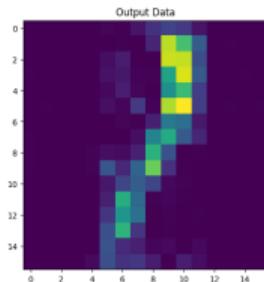
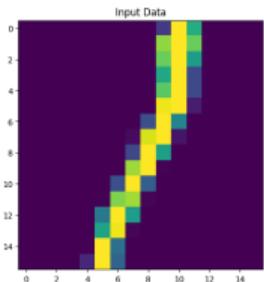


# Building QAE at Home: Image Compression

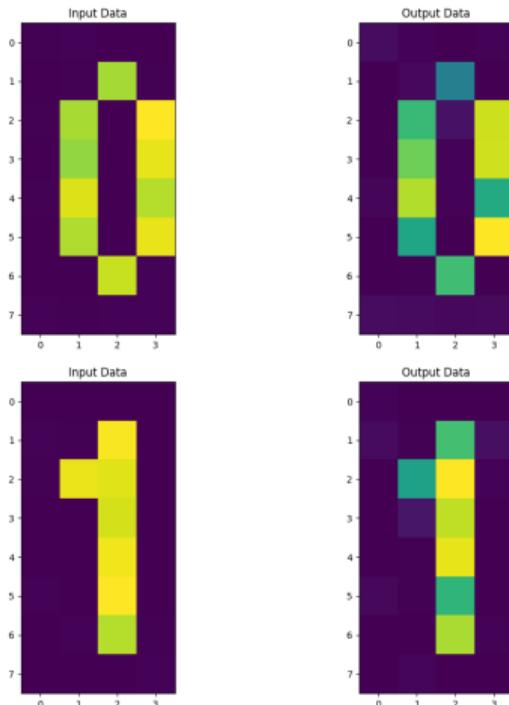
Objective function value against iteration



# Building QAE at Home: Image Compression



# Building QAE at Home: Image Compression



## ■ Results with smaller images

- ▶ Image size:  $4 \times 8$
- ▶ Number of qubits: 5
- ▶ Latent space: 3
- ▶ Trash space: 2

Source: QiskitCommunity, *Quantum Autoencoder Tutorial*





